

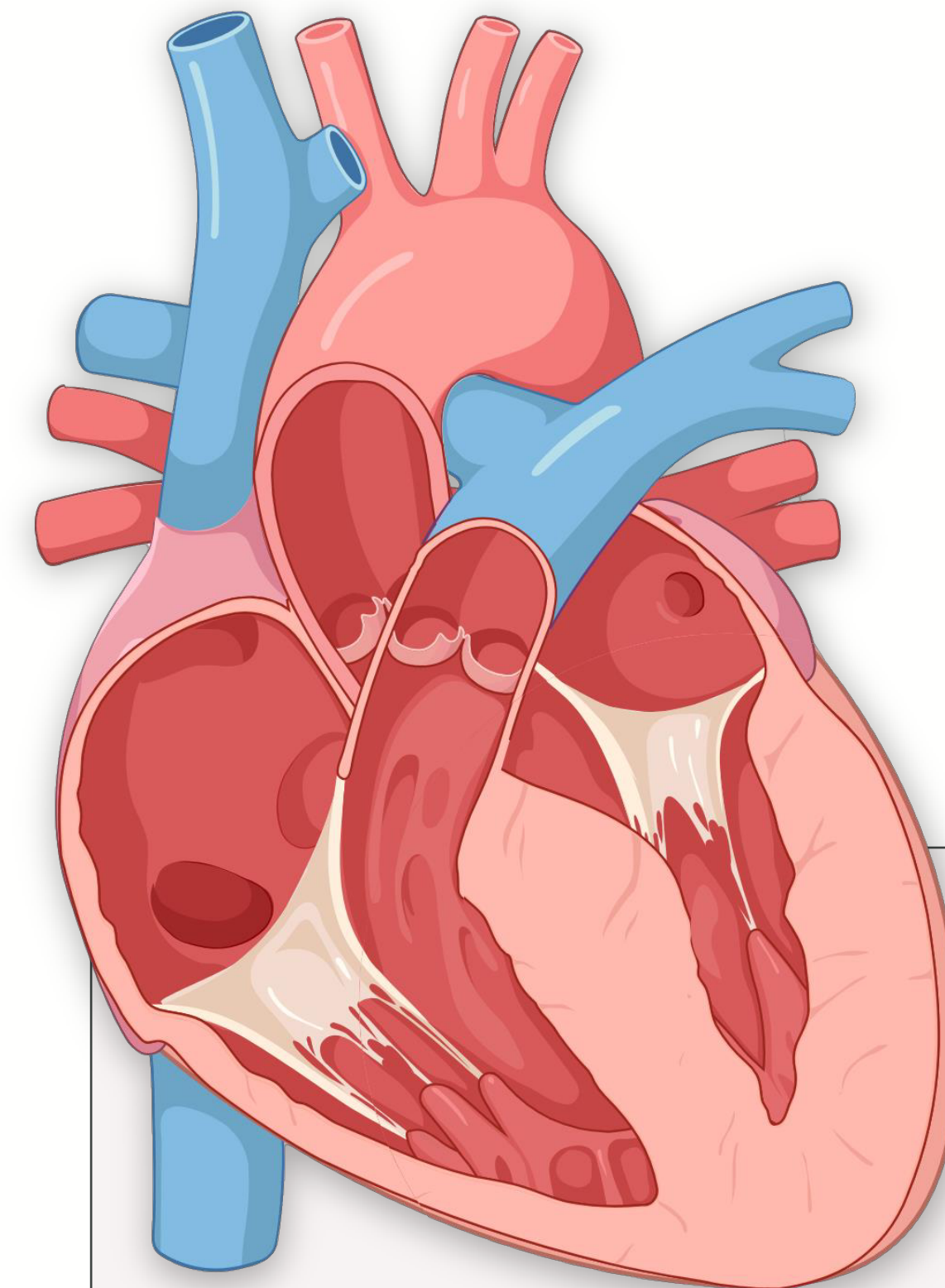


Predicting Blood Flow Patterns Across Stenoses with a Geometry-Conditioned Physics-Informed Neural Network

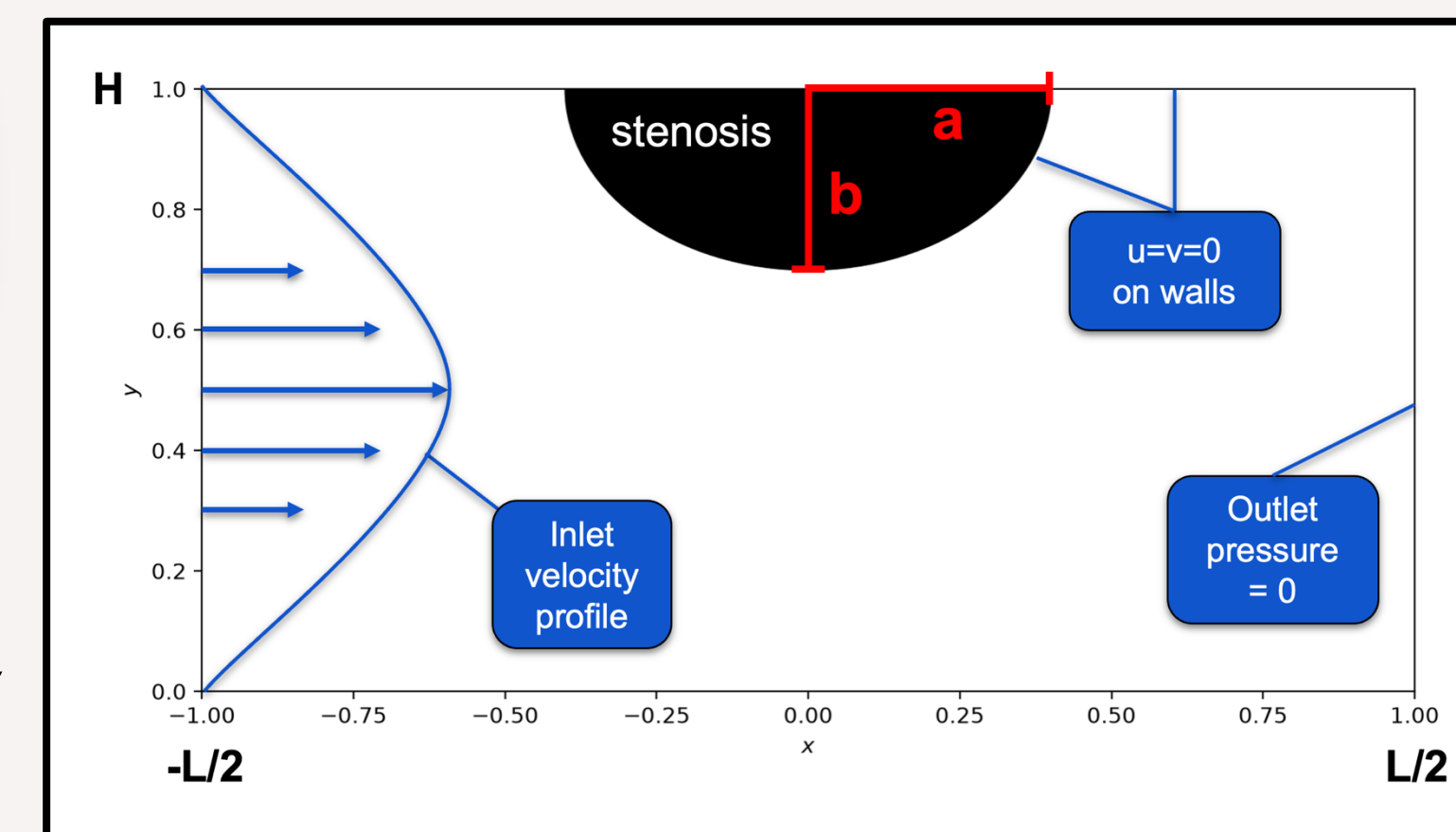
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INTRO

- Problem:** Patient-specific hemodynamics are critical for treating obstructive cardiovascular conditions, but difficult to measure.
- Method:** Physics-Informed Neural Networks¹ (PINNs) can help predict hemodynamics, but most work is on single anatomies.
- Goal:** Build a PINN that can generalize and fine-tune to unseen stenosis anatomies.

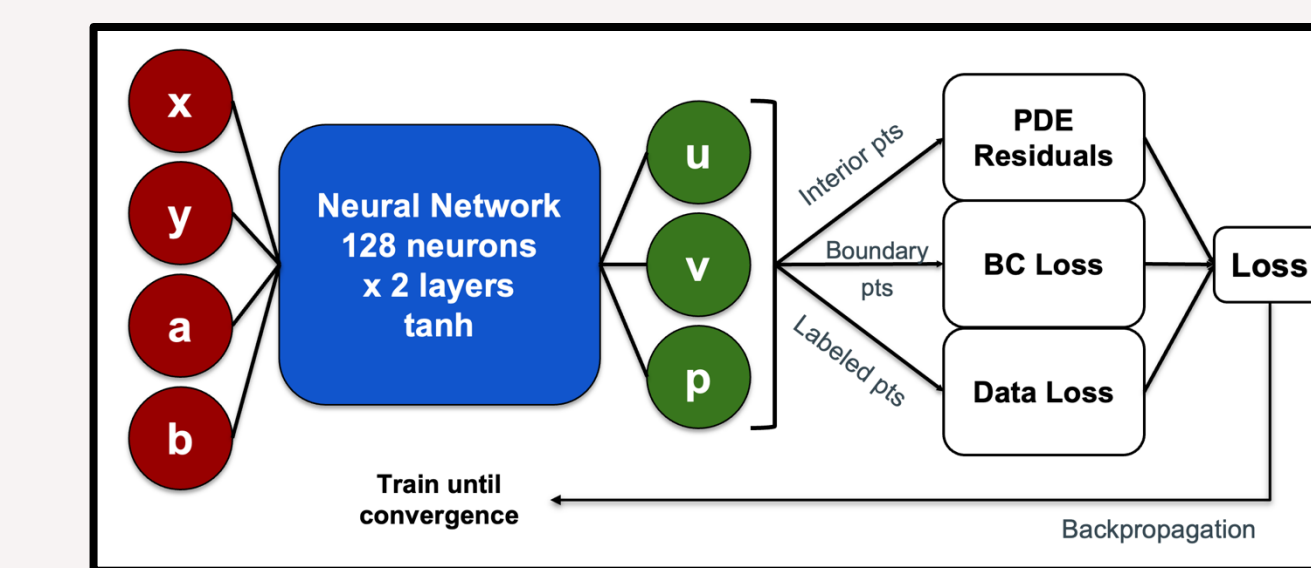


1. Problem Setup with Boundary Conditions



TAKEAWAY

Our proof-of-concept model learned to **predict blood flow patterns on unseen stenosis anatomies**.
Fine-tuning reduced error on outlier cases.



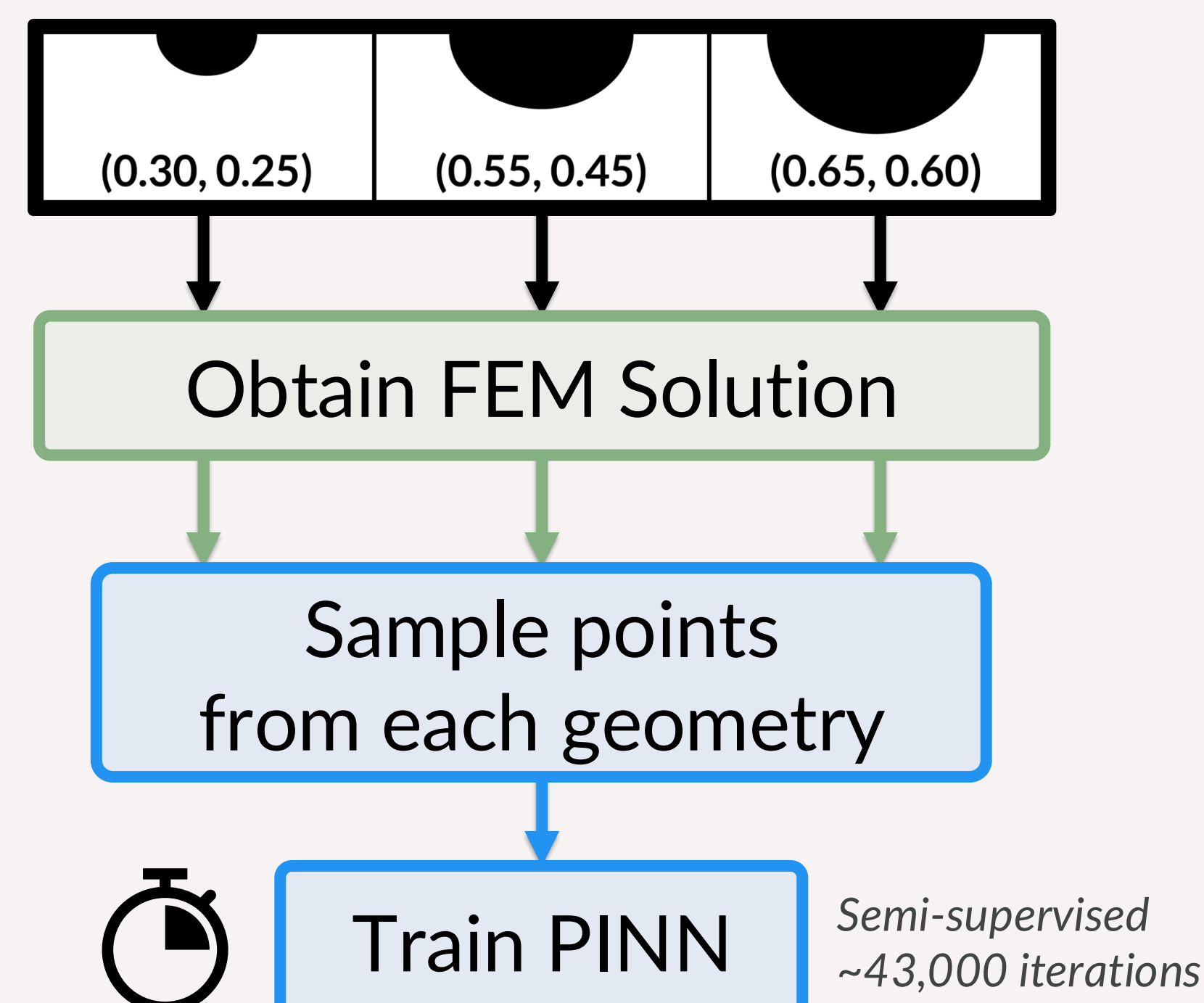
2. PINN Model Architecture

CONCLUSIONS

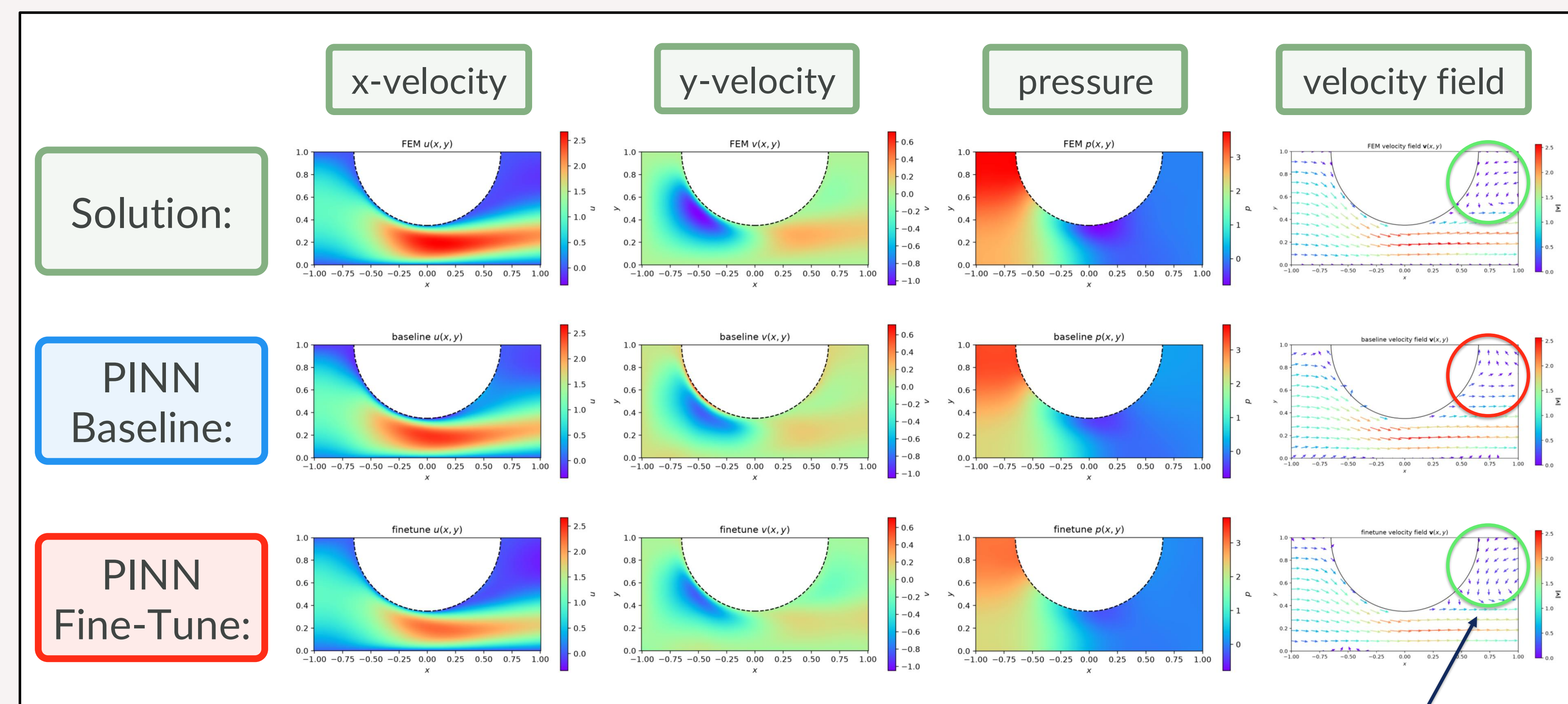
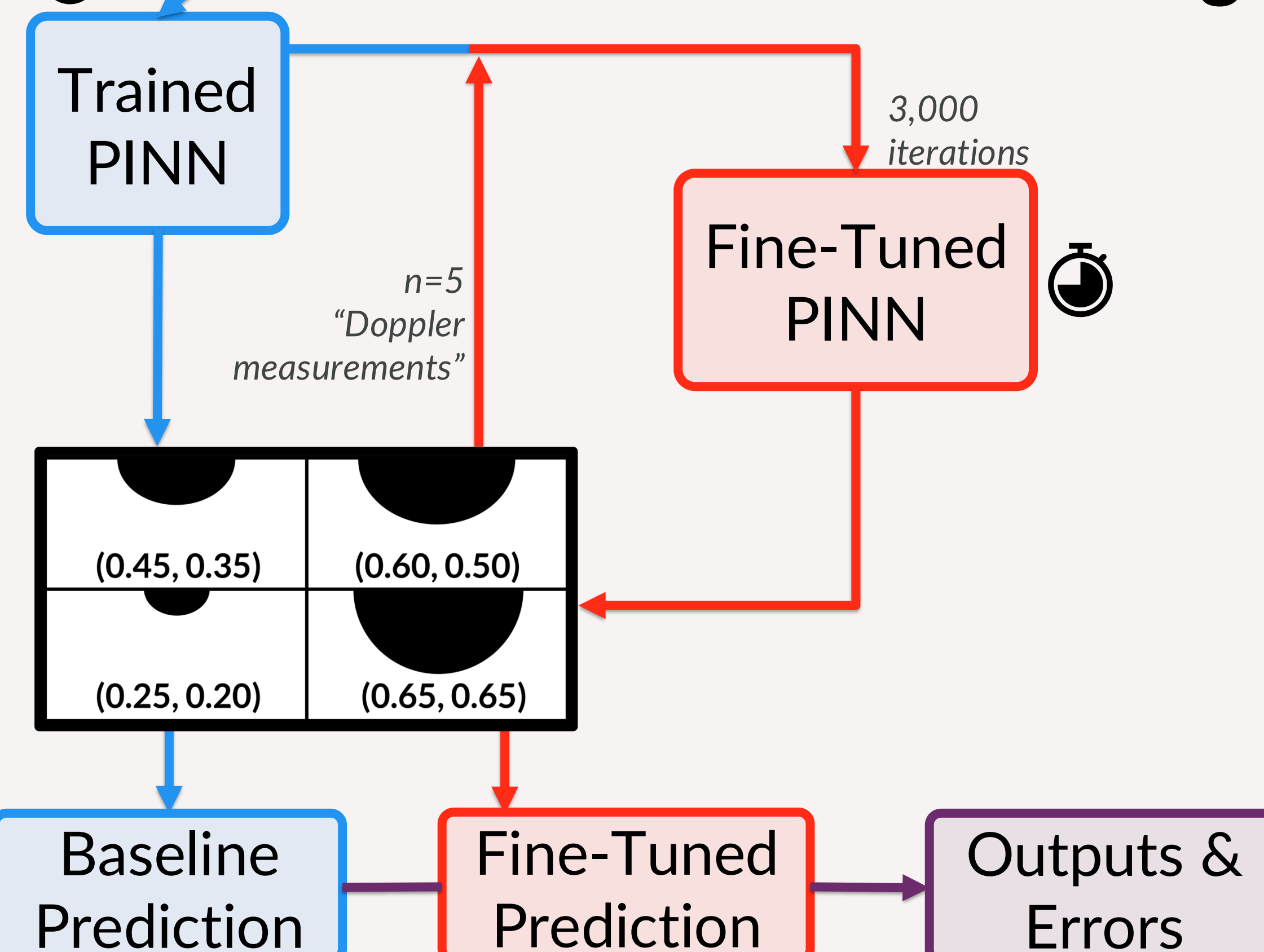
- Implications:** Unique patient anatomies could benefit from **fine-tuning** as a prediction strategy.
- Future Work:** Include more realistic anatomies, more complex flows, and more advanced model architectures.
- Significance:** A trained PINN could be deployed as a **clinical tool** (see below).

METHODS

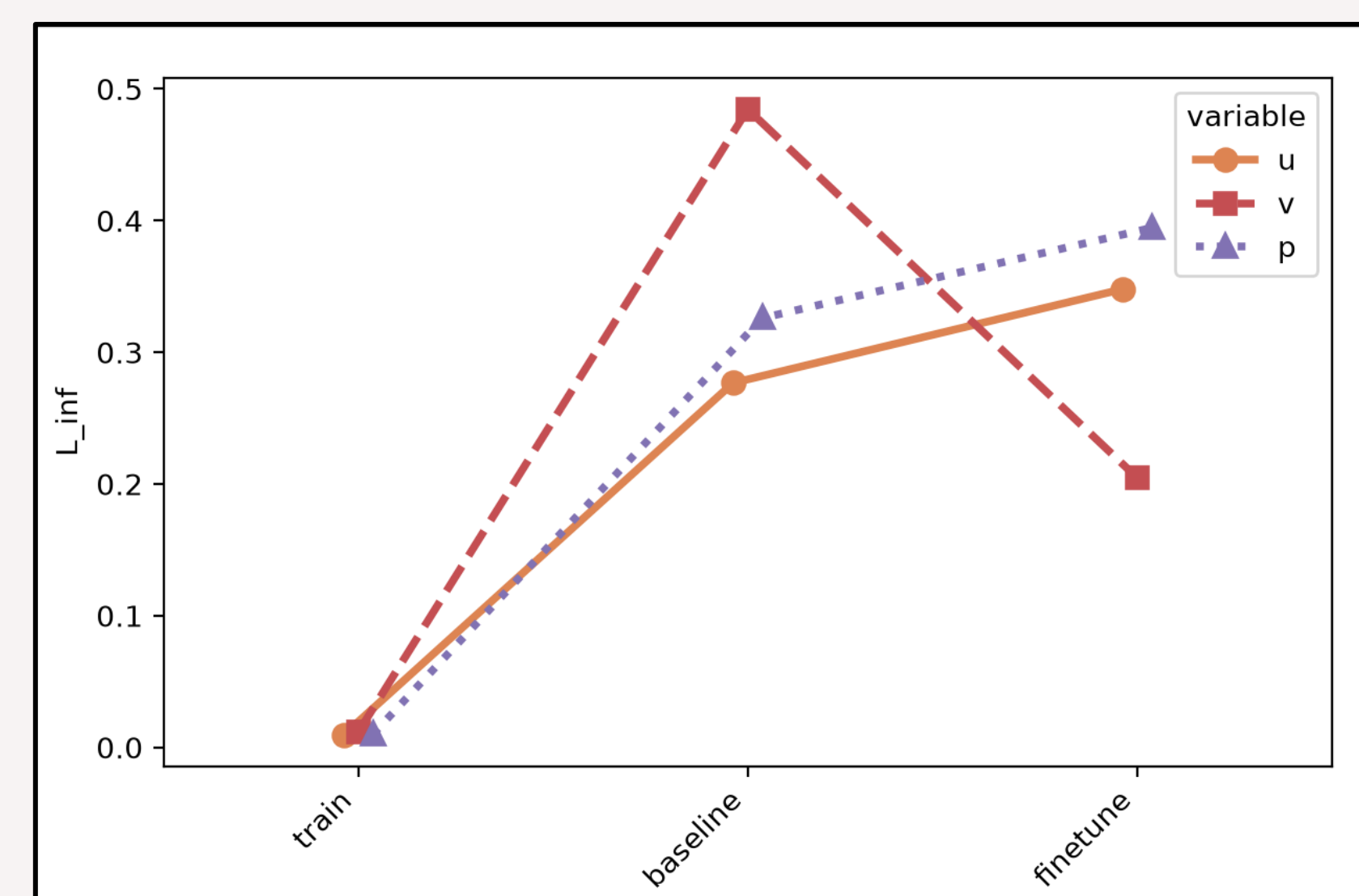
Training



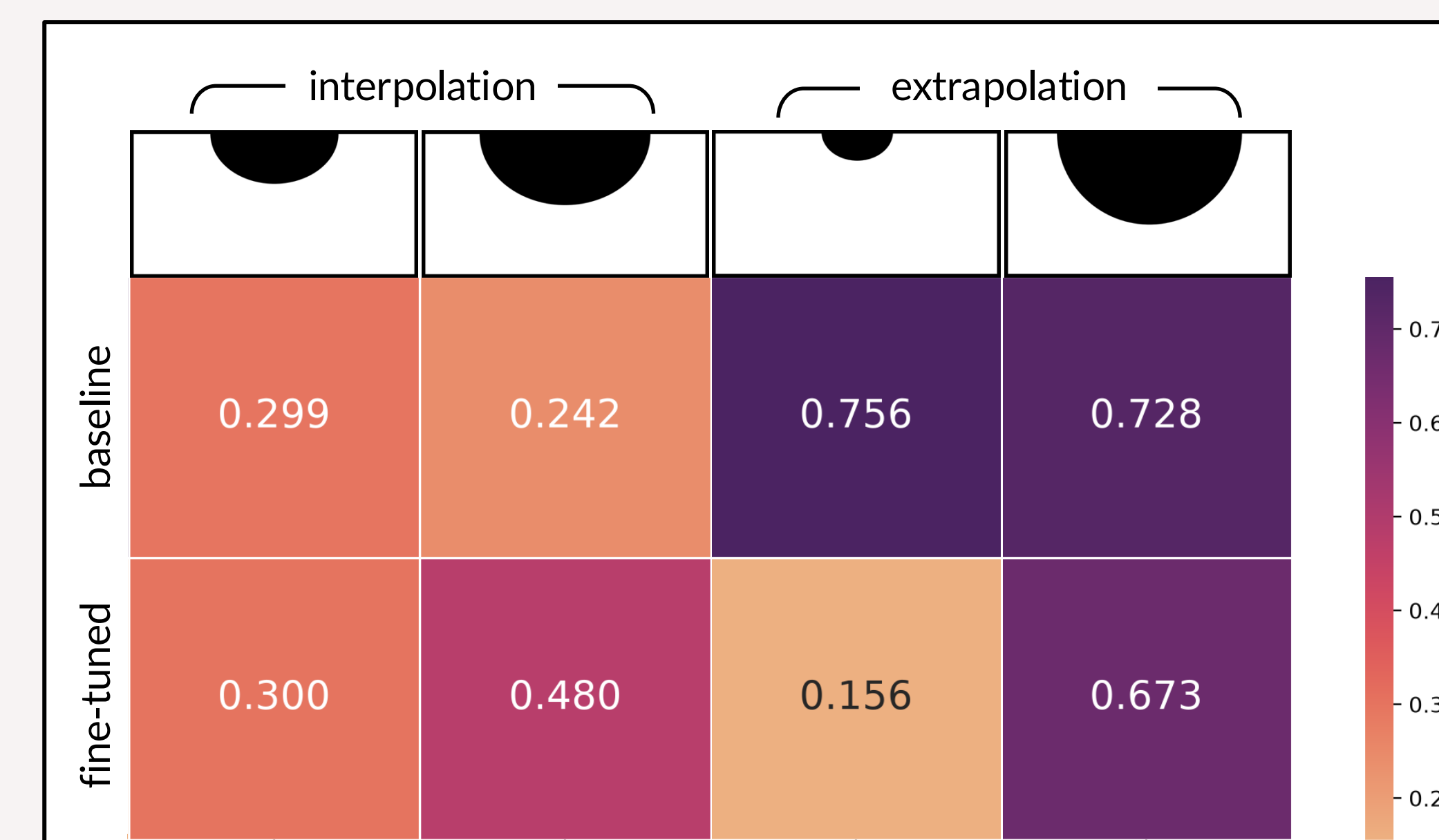
Testing



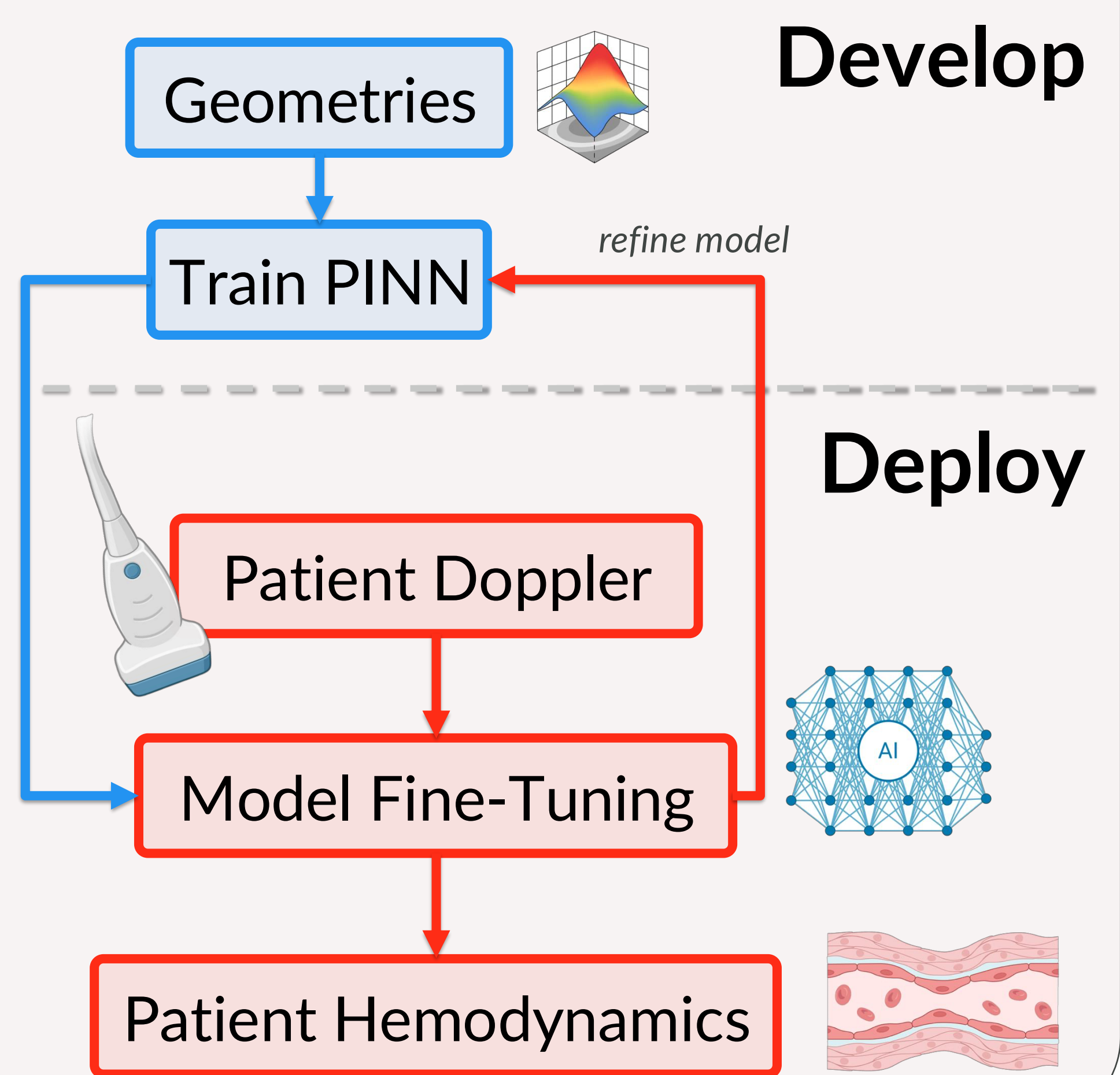
3. PINN recovers Solution patterns for all outputs, but only Fine-Tuning recovers recirculation



4. Fine-Tuning with simulated Doppler readings (v-labeled points) reduces Max Absolute Error in v, at the cost of u and p



5. Fine-Tuning reduces Max Absolute Error on Extrapolation Anatomies ("unique patients")



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References:
[1] Raissi, M. et al. (2019). Physics-informed neural networks: A deep learning framework for solving forward and inverse problems involving nonlinear partial differential equations. *Journal of Computational physics*.